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Research Article

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# Spacetime Conversion and Distance of Time Travel: Research on the Application of Life's Flash in Spacetime Physics

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#### **Abstract**

The reason why spacetime conversion occurs is that the displacement change of an object at time  $t_1$  only occurs in  $t_1$  spacetime, and its displacement change at time  $t_2$  only occurs in  $t_2$  spacetime, etc. The motion path of an object is a polyline, and the shortest distance between the ends of the polyline is the distance of time travel. Because the polyline passes through n (a large number) dimensions, its distance of time travel is surprisingly short, giving us a more concrete understanding of time travel.

**Keywords:** Spacetime conversion, Time travel, Distance of time travel, Flash, Polyline, Material world, Dimension

## Introduction

When we walk on the beach, the lost time is like our footprints left behind. May I ask, when we look back at those footprints, where are our past selves? Now we use the observer's flash to time and answer this question. "Thinking or feeling is composed of one flash in series with another. Using a movie as an analogy, successive scenes are played in rapid succession from frame to frame ... Simply put,

flash is a sudden thought, as fast and short as lightning." [1] Leibniz said, "Thousands of facts lead us to believe that there are an infinite number of continuous perceptions within us" [2]. Assuming that a light source emits a beam of parallel light (light L), an observer (life Y) starts timing. The time of No.1 flash is recorded as time  $t_1$ , the time of No.2 flash is recorded as time  $t_2$ , etc (Figure 1).

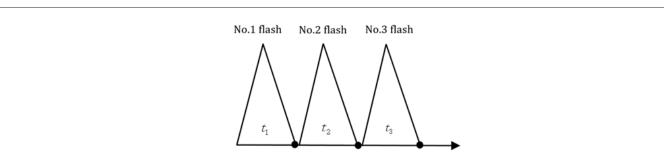


Figure 1: Diagram of the relationship between flash and time.

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The spatial region perceived by life Y at time  $t_x$ , i.e., the material world  $m(t_x)$  of life Y at time  $t_x$ , is referred to as  $t_x$  spacetime of life Y (abbreviated as  $t_x$  spacetime) in this article. At time  $t_x$ , light L exists in  $t_x$  spacetime; when light L appears in  $t_{x+1}$  spacetime, we refer to this spatiotemporal change as spacetime conversion. This article starts with the motion path of light to study the law of spacetime conversion, and we hope to provide new method for the study of spacetime physics.

# The First Spacetime Conversion

- a) The light source emits light L at  $A_0$ .
- b) At the end of time  $t_1$ , light L reaches location  $A_1$ .
- c) At the end of time  $t_2$ , light L reaches location  $A_2$ , etc.

In  $t_1$  spacetime, light L travels from  $(A_0+\alpha)$  to  $A_1$ , where  $\alpha$  represents infinitesimal. The distance from  $(A_0+\alpha)$  to  $A_1$  is denoted as  $A_0A_1$ . The phenomenon of light L traveling in  $t_1$  spacetime is denoted as  $L_{t_1}$ . In  $t_2$  spacetime, light L travels from  $(A_1+\alpha)$  to  $A_2$ , and the distance from  $(A_1+\alpha)$  to  $A_2$  is denoted as  $A_1A_2$ . The phenomenon of light L traveling in  $t_2$  spacetime is denoted as  $L_{t_2}$ . Although life Y sees  $A_0$ ,  $A_1$  and  $A_2$  as shown in Figure 2, the path taken by light L in  $t_2$  spacetime is only  $L_{t_2}$  (Figure 2).

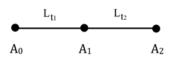


Figure 2: A common diagram illustrating the path taken by light L.

In  $t_2$  spacetime, light L does not actually pass through L<sub>t1</sub> (Figure 2). If L<sub>t1</sub> appears in  $t_2$  spacetime, life Y will simultaneously see the following two phenomena:

- a) Light L travels from  $A_1$  to  $A_2$ .
- b) Light L travels from  $A_0$  to  $A_1$ .

The simultaneous appearance of light L in two locations is obviously not in line with the facts. If  $L_{t_1}$  is not perpendicular to  $t_2$  spacetime, then the vertical projection of  $L_{t_1}$  in  $t_2$  spacetime is not zero, and the component of  $L_{t_1}$  in  $t_2$  spacetime is denoted as  $\operatorname{proj}_{t_2}(L_{t_1})$ . In this way, life Y can simultaneously observe  $L_{t_2}$  and  $\operatorname{proj}_{t_2}(L_{t_1})$  in  $t_2$  spacetime, which means that light L appears in two locations at the same time. This is obviously not true. In short,  $L_{t_1}$  is perpendicular to  $t_2$  spacetime. When light L appears in  $t_2$  spacetime, the first spacetime conversion occurs. Because  $L_{t_1}$  is located

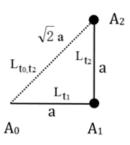
in  $t_2$  spacetime, we further obtain  $L_{t_1} \perp L_{t_2}$ . And  $L_{t_1} \perp L_{t_2}$  can be represented by Figure 3, where "a" represents the distance traveled by light L in one flash of time (Figure 3).

Assume that  $A_{0-2}$  represents the actual distance traveled by light L from the start of timing to the end of time  $t_2$ .

$$A_{0-2} = A_0 A_1 + A_1 A_2 = 2a$$
.

Assume that  $L_{t_0,t_2}$  represents the length of the dashed line connecting  $A_{\scriptscriptstyle 0}$  and  $A_{\scriptscriptstyle 2}$  in Figure 3. Its physical meaning is the distance of time travel, which will be described in detail below.

$${L_{t_0,t_2}}^2 = {A_0}{A_1}^2 + {A_1}{A_2}^2 = a^2 + a^2,$$
 so 
$$L_{t_0,t_2} = \sqrt{2} \ a \ .$$



**Figure 3:** The actual path taken by light L at the end of time  $t_2$ .

## **The Second Spacetime Conversion**

The phenomenon of light L traveling in  $t_3$  spacetime is denoted as  $L_{t_3}$ . If  $L_{t_2}$  and  $L_{t_1}$  appear in  $t_3$  spacetime, life Y will simultaneously see the following three phenomena:

- a) Light L travels from  $A_2$  to  $A_3$ .
- b) Light L travels from  $A_1$  to  $A_2$ .

c) Light L travels from  $A_0$  to  $A_1$ .

The simultaneous appearance of light L in three locations is obviously not in line with the facts. If  $L_{t_2}$  and  $L_{t_1}$  are not perpendicular to  $t_3$  spacetime, then their vertical projections in  $t_3$  spacetime are not zero, and their components in  $t_3$  spacetime are denoted as  $\operatorname{proj}_{t_3}(L_{t_2})$  and  $\operatorname{proj}_{t_3}(L_{t_1})$ , respectively. Life Y can simultaneously observe  $L_{t_3}$ ,  $\operatorname{proj}_{t_2}(L_{t_2})$ , and  $\operatorname{proj}_{t_3}(L_{t_1})$  in  $t_3$  spacetime, which means

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that light L appears in three locations at the same time. This is obviously not true. In short,  $\mathsf{L}_{\mathsf{t}_2}$  and  $\mathsf{L}_{\mathsf{t}_1}$  are perpendicular to  $t_3$  spacetime. When light L appears in  $t_3$  spacetime, the second spacetime conversion occurs. Because  $\mathsf{L}_{\mathsf{t}_3}$  is located in  $t_3$  spacetime, we further obtain  $\mathsf{L}_{\mathsf{t}_2} \perp \mathsf{L}_{\mathsf{t}_3}$  and  $\mathsf{L}_{\mathsf{t}_1} \perp \mathsf{L}_{\mathsf{t}_3}$ . If  $\mathsf{L}_{\mathsf{t}_1} \perp \mathsf{L}_{\mathsf{t}_2}$ ,  $\mathsf{L}_{\mathsf{t}_1} \perp \mathsf{L}_{\mathsf{t}_3}$  and  $\mathsf{L}_{\mathsf{t}_2} \perp \mathsf{L}_{\mathsf{t}_3}$ 

hold simultaneously, we use  $L_{t_1} \perp L_{t_2} \perp L_{t_3}$  to represent their relationship.  $L_{t_1} \perp L_{t_2} \perp L_{t_3}$  can be shown by Figure 4, which depicts a three-dimensional image on a plane, so the shape becomes abstract, but the algebraic relationship is correct (Figure 4).



**Figure 4:** The actual path taken by light L at the end of time  $t_3$ 

Assume that  $A_{0.3}$  represents the actual distance traveled by light L from the start of timing to the end of time  $t_3$ .

$$A_{0-3} = A_0 A_1 + A_1 A_2 + A_2 A_3 = 3a$$

Assume that  $L_{t_0,t_3}$  represents the length of the dashed line connecting  $\mathbf{A}_{_0}$  and  $\mathbf{A}_{_3}.$ 

$$L_{f_0f_3}^2 = A_0A_1^2 + A_1A_2^2 + A_2A_3^2 = 3a^2$$
,

SC

$$L_{t_0,t_3} = \sqrt{3} a$$

At the end of time  $t_n$ , light L reaches  $A_n$ , as shown in Figure 5. Similarly, when light L appears in  $t_n$  spacetime, spacetime conversions have occurred (n-1) times, and  $L_{t_1} \perp L_{t_2} \perp \ldots \perp L_{t_{(n-1)}} \perp L_{t_n}$  holds (Figure 5).

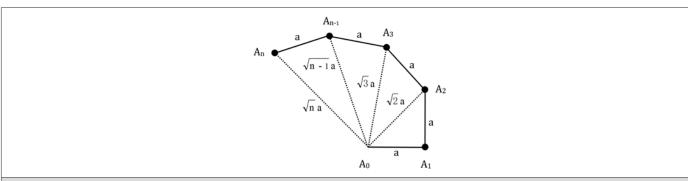


Figure 5: The actual path taken by light L at the end of time  $t_n$ 

Assume that  $A_{0-n}$  represents the actual distance traveled by light L from the start of timing to the end of time  $t_n$ .

$$A_{0-n} = A_0 A_1 + A_1 A_2 + \dots + A_{n-1} A_n = n \cdot a.$$
 (1)

Assume that  $L_{t_0,t_n} represents the length of the dashed line connecting <math display="inline">\,A_0^{}\,$  and  $\,A_n^{}\,$  in Figure 5.

$$L_{t_0,t_n}^2 = A_0 A_1^2 + A_1 A_2^2 + \dots + A_{n-1} A_n^2 = n \cdot a^2,$$
 (2)

$$L_{t_0 t_n} = \sqrt{n} \cdot a$$
. (3)

The motion path  $A_0A_1 \rightarrow A_1A_2 \rightarrow ... \rightarrow A_{n\cdot l}A_n$  is a polyline, and the shortest distance between the ends of the polyline is the distance of time travel  $L_{t_0\,t_n}$ .

## **Distance of Time Travel**

At time  $t_x$ , we denote life Y as  $Y_x$ ; at time  $t_{x+1}$ , life Y is denot-

ed as  $Y_{x+1}$ . At time  $t_{x+1}$ , if life  $Y_{x+1}$  perceives the spatial region of a being's  $t_{x+k}$  spacetime ( $k \ne 1$ ), then we refer to this spatiotemporal change as time travel. Suppose that there is a star whose beam of light (light F) traveled 25 light-years to reach the earth. The distance traveled by a light in one second is  $3.0 \times 10^8$  m [3]. "In generally, the number of one's flashes in 1 second is  $3.2 \times 10^{14}$ ." [1] Therefore, the length of the path taken by light F in each flash time is

$$a = \frac{3.0 \times 10^8}{3.2 \times 10^{14}} \text{ m}$$

The length of the path taken by light F in 25 years is

$$A_{0-n} = 25 \times 365.25 \times 24 \times 60 \times 60 \times 3.0 \times 10^8 = 2.52 \times 10^{23} \cdot a$$

so  $n=2.52\times 10^{23}$ . The distance of time travel between the beginning and end positions of light F in 25 years is

$$L_{t_0,t_n} = \sqrt{n} \cdot a = \sqrt{2.52 \times 10^{23}} \cdot \frac{3.0 \times 10^8}{3.2 \times 10^{14}} = 470 \text{ km}.$$

Similarly,  $F_{t_1} \perp F_{t_2} \perp \ldots \perp F_{t_{(n-1)}} \perp F_{t_n}$  , where  $F_{t_1}$  denotes the phenom-

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enon of light F traveling in  $t_1$  spacetime;  $F_{t_2}$  denotes the phenomenon of light F traveling in  $t_2$  spacetime, etc. Consequently, light F enters our field of view after passing through n dimensions. Spacetime conversions results in  $L_{t_0,t_n}$  being so short. The motion path of light is like this, what is the motion path of an ordinary object like?

Suppose that life Y continuously observes a stationary object (beach W) for 25 years. However, beach W is relatively stationary, as the speed of the solar system in the rotation of the Milky Way is about 220 km/s [4]. Then we assume that the speed of beach W in the Milky Way is 220 km/s. The phenomenon of beach W moving in  $t_1$  spacetime is denoted as  $W_{t_1}$ ; the phenomenon of beach W moving in  $t_2$  spacetime is denoted as  $W_{t_2}$ , etc. If  $W_{t_1}$  is not perpendicular to  $t_2$  spacetime, then the vertical projection of  $W_{t_1}$  in  $t_2$  spacetime will not be zero, and the component of  $W_{t_1}$  in  $t_2$  spacetime is denoted as  $\text{proj}_{t_2}(W_{t_1})$ . Life Y can simultaneously observe  $W_{t_2}$  and  $proj_{t_2}(W_{t_1})$  in  $t_2$  spacetime, which means that beach W appears in two locations at the same time. This is obviously not true. In short,  $W_{t_1}$  is perpendicular to  $t_2$  spacetime. When beach W appears in  $t_2$ spacetime, the first spacetime conversion occurs. Similarly, Wto, and  $W_{t_1}$  are perpendicular to  $t_3$  spacetime. When beach W appears in  $t_3$  spacetime, the second spacetime conversion occurs. Finally, the (n-1)th spacetime conversion occurs, and equations (1), (2), and (3) still hold. Assume that  $a_w$  denotes the distance traveled by beach W in a flash time, then

$$a_{\rm w} = \frac{220 \times 10^3}{3.2 \times 10^{14}} \ m \ \cdot$$

The length of the path taken by beach W in 25 years is

$$A_{0.5} = 25 \times 365.25 \times 24 \times 60 \times 60 \times 220 \times 10^3 = 2.52 \times 10^{23} \cdot a_{...}$$

so  $n=2.52\times 10^{23}$ . The distance of time travel between the beginning and end positions of beach W in 25 years is

$$L_{t_0,t_n} = \sqrt{n} \cdot a_w = \sqrt{2.52 \times 10^{23}} \cdot \frac{220 \times 10^3}{3.2 \times 10^{14}} = 345 \text{ m}.$$

The distance of time travel is surprisingly short. World-Quantum Theory and Time Travel: A Study on the Role of Life in the Composition of the Universe "demonstrates that a person can travel back to the past by focusing on reminiscing and travel forth to the future with single-minded visualization" [5]. Therefore, it is believed that personal time travel will become a mature and controllable technology. We can further boldly make the following prediction: One day, human consciousness will be connected to the spacecraft, like a complete life. Then this spacecraft jumps freely between different spaces-times.

## **Conclusion**

This article quantizes spacetime and derives the law of spacetime conversion. The law of spacetime conversion consists of three parts:

Firstly, time is quantized. Time  $t_1$  corresponds to No.1 flash, and time  $t_2$  corresponds to No.2 flash, etc. This is reasonable because series of flashes form the timeline.

Secondly, spacetime is quantized.  $m(t_1)$ ,  $m(t_2)$ , etc., are world-

class macroscopic quanta [3], which means that  $t_1$  spacetime,  $t_2$  spacetime, etc., are world-class macroscopic quanta. Now we can answer the question at the beginning of this article: When we walk on the beach and look back at the footprints behind us, our past selves exist in the spacetimes of the past.

Thirdly, the motion path of an object is a polyline. Some people may ask: Before life Y sees light F, does light F undergo spacetime conversions? Like Schrodinger's cat, if life Y does not observe light F, it means that light F does not manifest in life Y's world. So light F is chaotic in life Y's world, and its motion path is also chaotic. When life Y observes light F, light F and its path collapse from the chaotic state, and thus they manifest themselves. If  $F_{t_1}$  is not perpendicular to  $t_2$  spacetime, then the vertical projection of  $F_{t_1}$  in  $t_2$  spacetime is not zero, and the component of  $F_{t_1}$  in  $t_2$  spacetime is denoted as  $\operatorname{proj}_{t_2}(F_{t_1})$ . In this way, light F appears in two locations at the same time in  $t_2$  spacetime. This is obviously not true. In short,  $F_{t_1}$ is perpendicular to  $t_2$  spacetime. When light F appears in  $t_2$  spacetime, the first spacetime conversion occurs. Similarly, the (n-1)th spacetime conversion also occurs. Doing it in this way is reasonable because the displacement change of an object at time  $t_1$  only occurs in  $t_1$  spacetime; its displacement change at time  $t_2$  only occurs in  $t_2$  spacetime, etc. The analysis of light L, beach W and light F can lead to the following conclusion: the motion path of an object is a polyline that follows the quantization of time and the quantization of spacetime.

The law of spacetime conversion not only reveals the essence of spacetime conversion, but also provides a new perspective for humans to understand the structure of the universe. Time is no longer the carriage moving forward at a constant speed, but rather one flash after another of the observer. This idea reveals distance of time travel, giving us a more concrete understanding of time travel.

## Acknowledgment

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## **Conflict of Interest**

None.

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